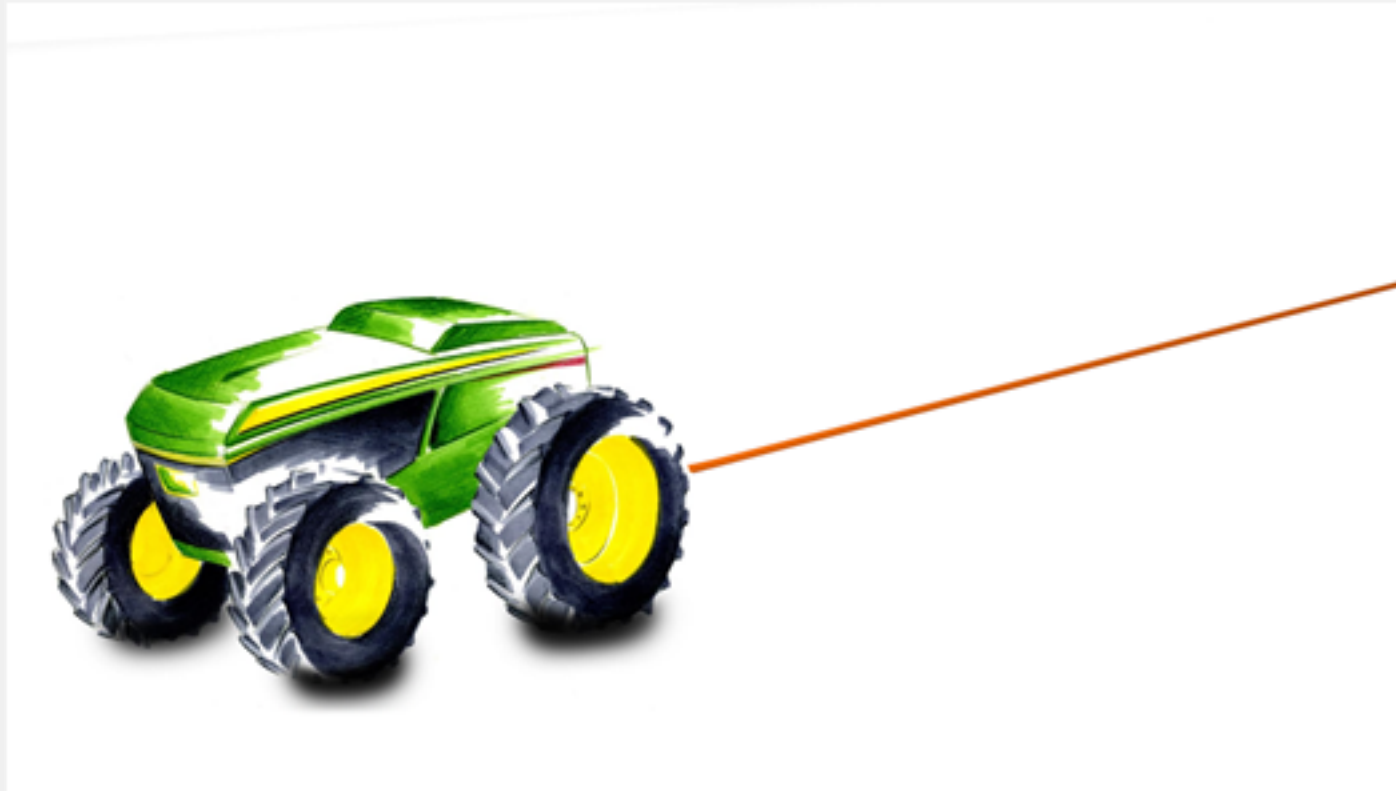


Rural Energy Systems Including Electrified High-Power Agricultural Machinery and PV Electricity Generation

oemof user meeting, 8 May 2018

Michael Stöhr, Bastian Hackenberg

Design study for autonomous electrified agricultural machine

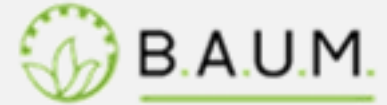


Motivation for electrifying agricultural machines



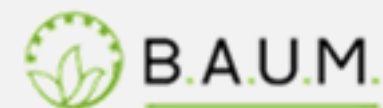
- higher working precision
-> saves fertilizer and chemical plant protection products can even be done mechanically
- automation of agricultural production possible
- silent operation -> operations 24 hours per day
- higher efficiency, higher power
- abundant potential for renewable electric energy generation can be used on site
- synergy between PV generation and agricultural machine operation

Two ways of electrification



1. on-board battery
 - > only for small machines, mainly cattle breeding
2. connection to grid via 1-5 km long cable
 - > even higher power possible than with diesel engines, for cultivation

Model topology „scenario 1“ of cable-powered agricultural machine



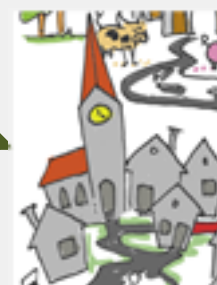
PV generation
+ base load
+ 1.2 MW agricultural machine
+ stationary energy storage



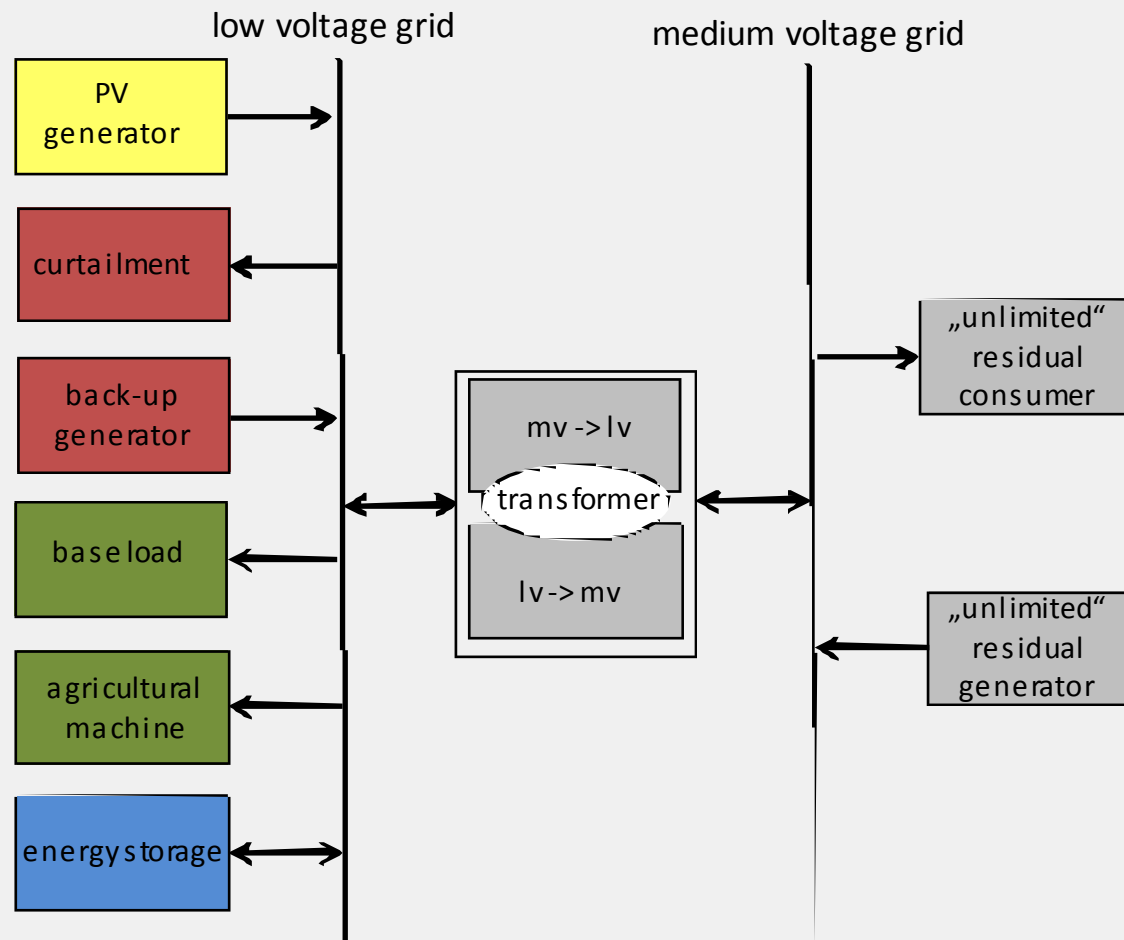
curtailment



“unlimited”
residual
generator



“unlimited”
residual
consumer



Calculation process



1. Non-normalised load and generation profiles input via csv-file

2. Calculation done with various versions of GridCon_storage.py, initially based on storage_investment.py

3. Results transferred to csv-file

← “Black box” oemof

“Experimental set-up for observing what oemof is doing”

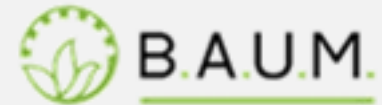
Check and analysis of results in excel

- law of conservation of energy observed ?
- restrictions observed: SOC between 10% and 90%, etc. ?
- results reflect fixed parameters: efficiencies, max charging power, ...?
- load and generation profiles not modified by oemof ?
- results reasonable/ potentially an optimum solution ?
- energy storage not charged and discharged in the same time-step ?

We did not yet really trust in
oemof in the beginning ...

... but in the end we
were convinced 😊.

Load and generation profiles -> csv -> oemof



lines 39-52

```
# import load and generation data from csv-file and define timesteps
```

```
def optimise_storage_size(filename="GridCon1_Profile.csv",  
                           solver='cbc', debug=True, number_timesteps= (96*366),  
                           tee_switch=True):
```

```
# the file "GridCon1_Profile" contains the normalised profile for the  
# agricultural base load profile L2, a synthetic electrified agricultural  
# machine load profile, and the PV generation profile ES0;  
# number_timesteps: one timestep has a duration of 15 minutes,  
# hence, 96 is the number of timesteps per day;  
# 366 is the number of days in a leap year, chosen here because  
# standard load profiles of 2016 are used;  
# the total number of timesteps is therefore  $96 \times 366 = 35136$ ;
```

Output of results from oemof -> csv -> excel



lines 552-556

```
def create_csv(energysystem):
```

```
    results = outputlib.ResultsDataFrame(energy_system=energysystem)
    results.bus_balance_to_csv(bus_labels=['b_el_lv'],
                              output_path='results_as_csv_LV_Net')
```

- flows on low-voltage bus are sufficient for full analysis
- results are checked and analysed, and plots are generated in excel

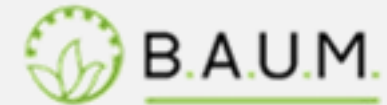
oemof minimises



... total annual costs of energy system's
infrastructure and related electricity losses

- = annuity of grid and energy storage system
- + fixed annual costs (2 % of initial investment costs)
- + variable annual costs (energy lost by grid transmission, storage or curtailment of PV generation, value set at 0.065 €/kWh)
- income generated by primary reserve provision

Specific annual fixed grid and storage costs



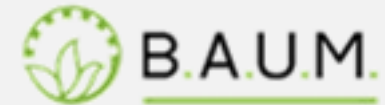
grid			energy storage		
specific investment costs	500	€/kW	specific investment costs	300	€/kWh
annual cost decrease	-	-	annual cost decrease	10%	1/a
financial life time	50	a	financial life time	5	a
financial period considered	50	a	financial period considered	50	a
number of investments	1		number of investments	10	
weighted average cost of capital	5.0%		weighted average cost of capital	5.0%	
annuity	27.39	€/kW	annuity	30.57	€/kWh
fixed operational costs	10.00	€/kW	fixed operational costs	6.00	€/kWh
fixed annual costs	37.39	€/kW	fixed annual costs	36.57	€/kWh

Definition of grid investment costs

```
n = 50
...
invest_grid = 500
...
wacc = 0.05
...
u_grid = 50
...
cost_decrease_grid = 0
...
oc_rate_grid = 0.02
...
oc_grid = oc_rate_grid * invest_grid
...
sepc_grid = economics_BAUM.epc(invest_grid, n, u_grid, wacc, cost_decrease_grid, oc_grid)
```

lines 79-105, 116-156

Definition of storage investment costs



```
u_el_lv_1_storage = 5
#...
cost_decrease_el_lv_1_storage = 0.1
#...
oc_rate_el_lv_1_storage = 0.02
#...
oc_el_lv_1_storage = oc_rate_el_lv_1_storage * invest_el_lv_1_storage
#...
sepc_el_lv_1_storage = economics_BAUM.epc(invest_el_lv_1_storage, n,
u_el_lv_1_storage, wacc, cost_decrease_el_lv_1_storage, oc_el_lv_1_storage)
#...
kS_el = sepc_el_lv_1_storage
#...
```

lines 158-192

+ definition of n and wacc

Taking income from primary reserve provision into account



lines 194-218

```
prl_on = 1
#...
prl_weeks = 13
#...
prl_income = 2.4 * prl_on * prl_weeks
#...
sepc_el_lv_1_storage = sepc_el_lv_1_storage - prl_income
#...
kS_el_netto = sepc_el_lv_1_storage
#...
```

$$2.4 * 1 * 13 = 31.2$$

income from primary balancing power provision:

13 weeks * 3,000 €/week/MW -> 31.2 €/kWh

refers to nominal capacity of energy storage

if this becomes negative, no solution can be found with oemof 0.1
-> limits number of weeks of PR and values of wacc that can be considered

Definition of transformer(s)

lines 322-399



```
#...
grid_loss_rate = 0.0685
#...
grid_eff = 1 - grid_loss_rate
#...
transformer_mv_to_lv = solph.LinearTransformer(label="transformer_mv_to_lv",
    inputs={b_el_mv: solph.Flow(variable_costs = (grid_loss_rate * cost_electricity_losses))},
    outputs={b_el_lv: solph.Flow(investment=solph.Investment(ep_costs=0.5 * sepc_grid))},
    conversion_factors={b_el_lv: grid_eff})
#...
transformer_lv_to_mv = solph.LinearTransformer(label="transformer_lv_to_mv",
    inputs={b_el_lv: solph.Flow(investment = solph.Investment(ep_costs = 0.5 * sepc_grid))},
    outputs={b_el_mv: solph.Flow(variable_costs =
(cost_electricity_losses*grid_loss_rate/grid_eff))},
    conversion_factors = {b_el_mv: grid_eff})
#...
```

2 transformer objects represent
1 physical transformer + up-stream grid !

6.85% of electricity of
residual generation is lost

ratio of flows is 1-6.85%

6.85%/(1-6.85%) of locally
generated electricity
arriving at residual
consumer is lost

Ensuring equal size of two transformer objects



lines 461-474

Without these code lines,
effectively oemof delivers two
objects with different size !

```
def connect_invest_rule(m):  
    expr = (om.InvestmentFlow.invest[b_el_lv, transformer_lv_to_mv] ==  
            om.InvestmentFlow.invest[transformer_mv_to_lv, b_el_lv])  
    return expr  
  
my_block.invest_connect_constr = environ.Constraint(  
    rule=connect_invest_rule)  
om.add_component('ConnectInvest', my_block)  
  
#...
```

Definition of energy storage

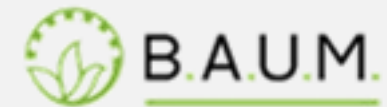
```
# ...  
icf = 0.95  
  
ocf = 0.95  
# ...  
el_storage_conversion_factor = icf * ocf  
# ...  
solph.Storage(label='el_lv_1_storage',  
    inputs={b_el_lv: solph.Flow(variable_costs = cost_electricity_losses  
    *(1-el_storage_conversion_factor))}, outputs={b_el_lv: solph.Flow()},  
    capacity_min = 0.1, capacity_max = 0.9, nominal_input_capacity_ratio = 1,  
    nominal_output_capacity_ratio = 1, inflow_conversion_factor = icf,  
    outflow_conversion_factor = ocf, capacity_loss = 0.0000025,  
    investment=solph.Investment(ep_costs = sepc_el_lv_1_storage))  
# ...
```

lines 400-446

> 95% * 95% of energy input
is lost .

Self-discharge is not linked to
a flow and cannot be
considered in variable costs !

Definition of PV generator (source)



ensures right position in output file

lines 247-258

input data represent average power in time-step in kW; they are not normalised.

```
solph.Source(label='el_lv_7_pv', outputs={b_el_lv:
    solph.Flow(actual_value=data['pv'], nominal_value = 1, fixed=True))
```

represents aggregated pv power plants in investigated area which are looked
at as a single source of energy;
"outputs={b_el_lv: ...}" defines that this source is connected to the
low voltage grid;
"solph.Flow ..." defines properties of this connection: actual_value get
the pv generation data for all time intervals from csv-file;
"nominal_value = 1" signifies that pv generation data do ...
processing, they are already absolute figures in kW;
"fixed=True" signifies that these data are not modified by

selects correct
data from
input csv-file:

```
timestep,demand_el,pv,machine_load
1,69.772,0,0
2,67.18,0,0
3,65.384,0,0
4,64.092,0,0
5,63.292,0,0
```

Definition of curtailment (sink)



```
cost_electricity_losses = 6.5E-2
```

← defines cost of electricity losses in €/kWh

lines 302-308

```
# ....
```

```
curtailment = solph.Sink(label='el_lv_4_excess_sink', inputs={b_el_lv:
    solph.Flow(variable_costs = cost_electricity_losses)})
```

lines 310-320

```
# ....
```

Specific variable costs in €/kWh indicated.

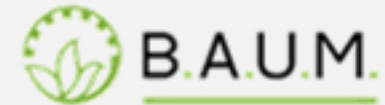
Physical units are ok: $[\text{kW}] * [\text{€/kWh}] * [\text{h}] = [\text{€}]$
Comparison with results in excel confirms figures.

```
.....
```

```
print('Costs of curtailment: ', sum(energysystem.results[b_el_lv]
    [curtailment]) * cost_electricity_losses * time_step, '€')
```

lines 329-330

Definition of back-up generator (source)



lines 260-265

```
solph.Source(label='el_lv_6_grid_excess', outputs={b_el_lv: solph.Flow(  
    variable_costs = 100000000))})
```

dummy producer of electric energy connected to low voltage grid;
introduced to ensure energy balance in case no other solution is found;
extremely high variable costs ensure that source is normally not used;

allows solver running also through
senseless solutions on the way to
finding the optimum

No need for a back-up sink ...



.... this job is done by
the curtailment sink.

Definition of base load (sink)



ensures right position in output file

lines 276-286

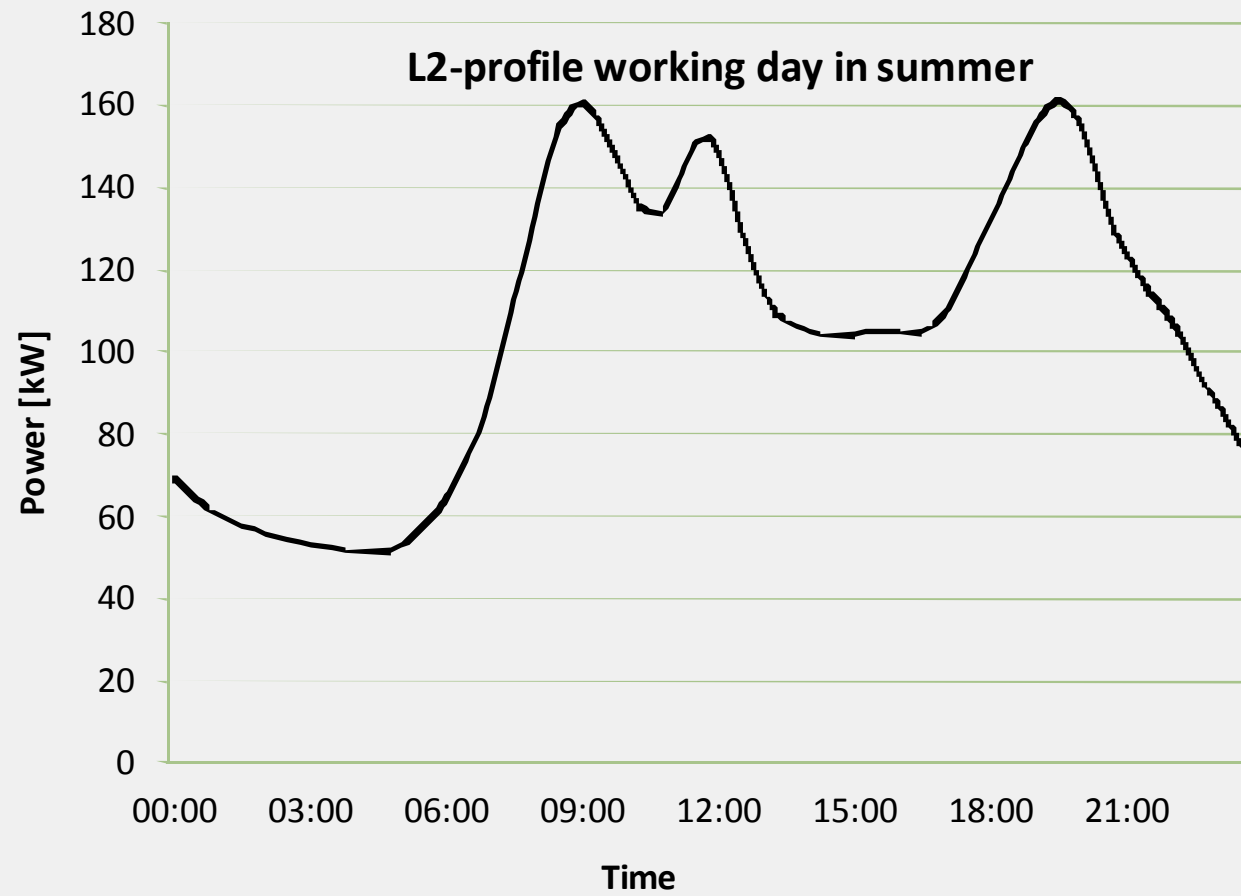
input data represent average power in time-step in kW; they are not normalised.

```
solph.Sink(label='el_lv_2_base_load', inputs={b_el_lv:
    solph.Flow(actual_value=data['demand_el'], nominal_value= 1, fixed=True))
```

```
# represents base load in low voltage (lv) electric grid;
# "inputs={b_el_lv: ...}" defines that this sink is connected to the
# low-voltage electric grid;
# "solph.Flow ..." defines properties of this connection: actual_value
# gets the base load data for all time intervals from csv-file;
# "nominal_value = 1" signifies that base load data do not ...
# processing, they are already absolute figures in kW;
# "fixed=True" signifies that these data are not modified by ...
```

selects correct data from input csv-file:

timestep	demand_el	p_v	machine_load
1	69.772	0	0
2	67.18	0	0
3	65.384	0	0
4	64.092	0	0
5	63.292	0	0



Definition of machine load (sink)



ensures right position in output file

lines 288-300

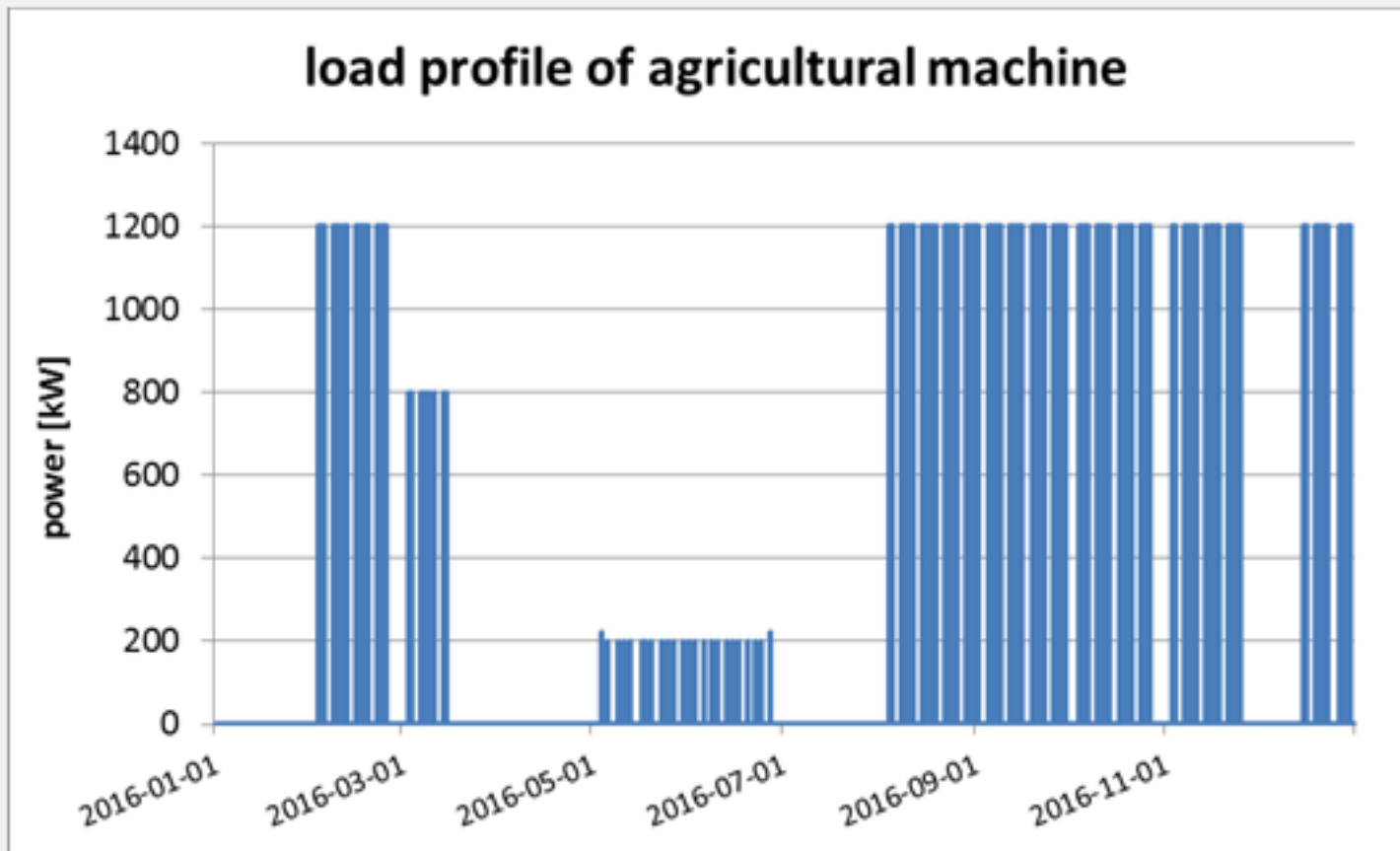
input data represent average power in time-step in kW; they are not normalised.

```
solph.Sink(label='el_lv_3_machine_load', inputs={b_el_lv:
    solph.Flow(actual_value=data['machine_load'], nominal_value= 1, fixed=True))
```

```
# represents electrified agricultural machine connected to lv-grid;
# "inputs={b_el_lv: ...}" defines that this sink is connected to the
# low voltage electric grid;
# "solph.Flow ..." defines properties of this connection: actual_value
# gets the electrified agricultural machine load data for all time
# intervals from csv-file;
# "nominal_value = 1" signifies that base load data do not ...
# processing, they are already absolute figures in kW;
# "fixed=True" signifies that these data are not modified by ...
```

selects correct data from input csv-file:

timestep,demand_el,pv,machine_load
1,69.772,0,0
2,67.18,0,0
3,65.384,0,0
4,64.092,0,0
5,63.292,0,0



Definition of “unlimited” residual generator (source)



lines 242-245

```
solph.Source(label='mv_source', outputs={b_el_mv: solph.Flow()})
```

```
# represents aggregated electric generators at a far point in the up-stream  
# grid; here, no limit is considered for this source;
```

Flow is a
result of
optimisation
process.



Definition of “unlimited” residual consumer (source)



lines 271-274

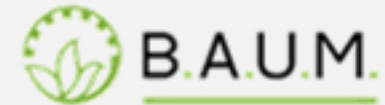
```
solph.Sink(label='el_mv_sink', inputs={b_el_mv: solph.Flow()})
```

```
# represents aggregated consumers at a far point in the up-stream grid;  
# here, it is assumed that no limit exists for this sink;
```

Flow is a
result of
optimisation
process.



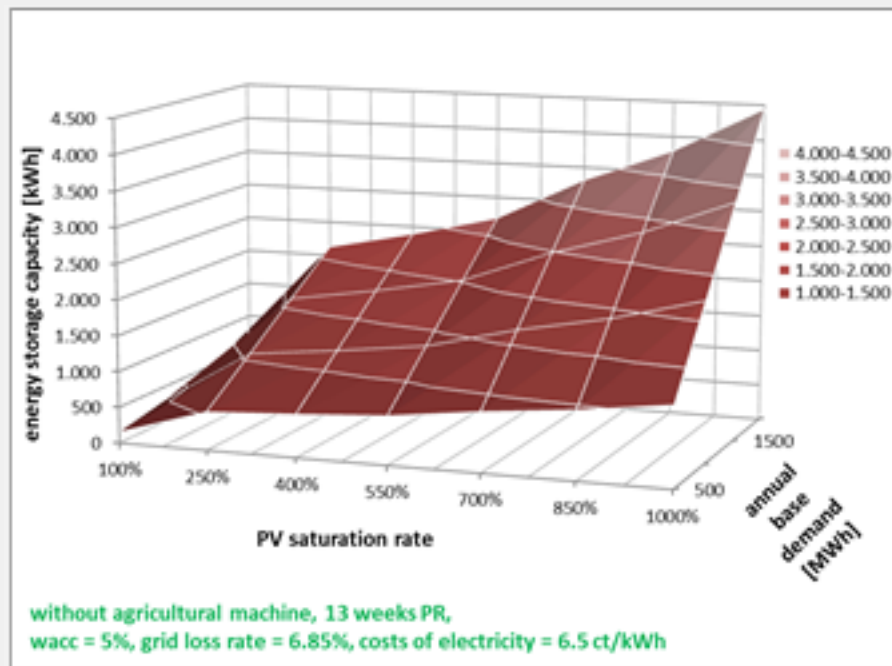
Parameters characterising different situations



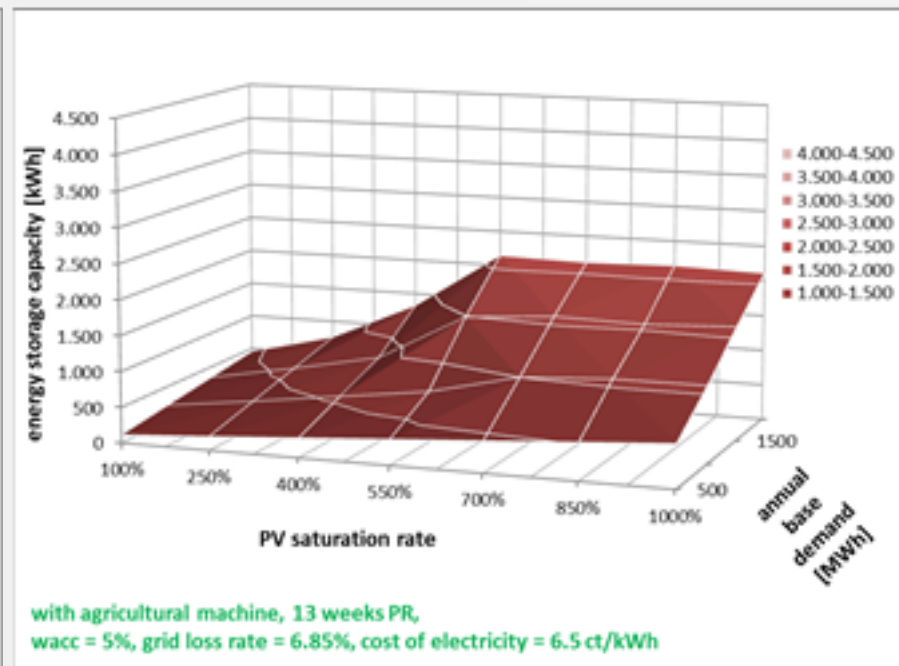
1. Base electric energy demand in rural local grid (MWh/yr)
2. PV saturation rate: factor by which a grid connection just meeting the peak base load needs to be reinforced to allow for complete feed-in of PV electricity not consumed locally (e.g. 234% corresponds to 100% net PV supply of local base load)

Parameter values are entered via load and generation profiles in csv input file.

Energy storage capacity

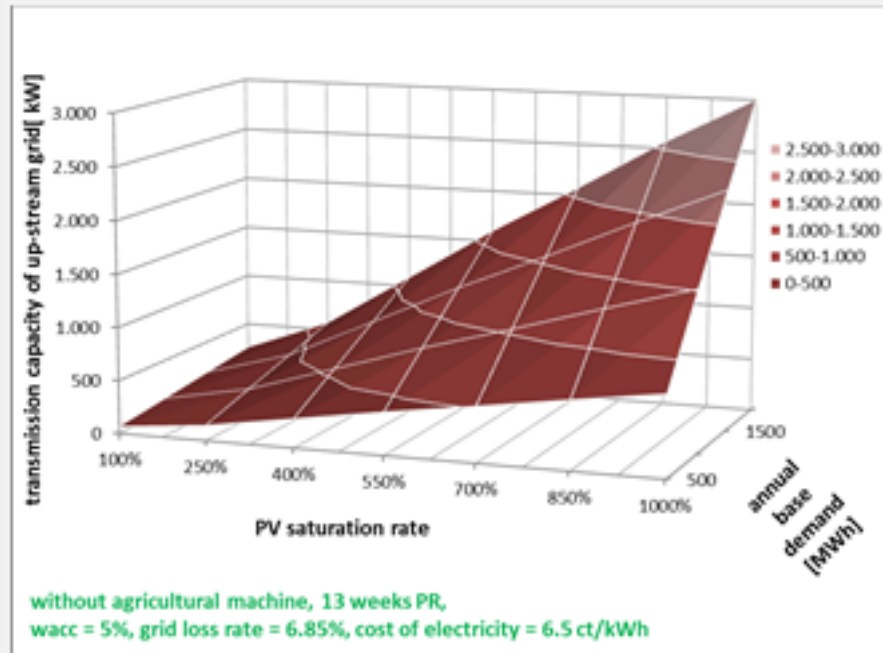


without agricultural machine

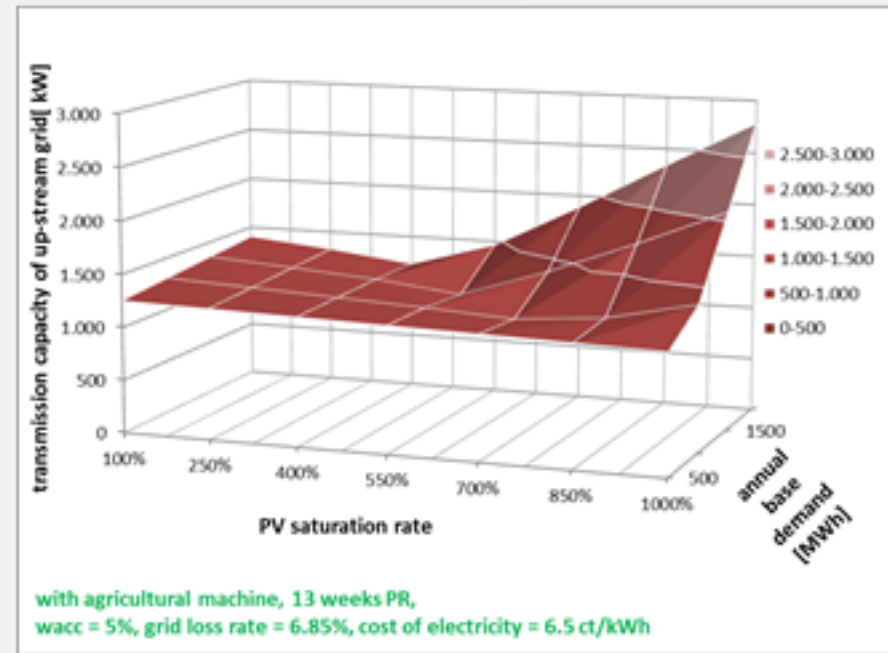


with agricultural machine

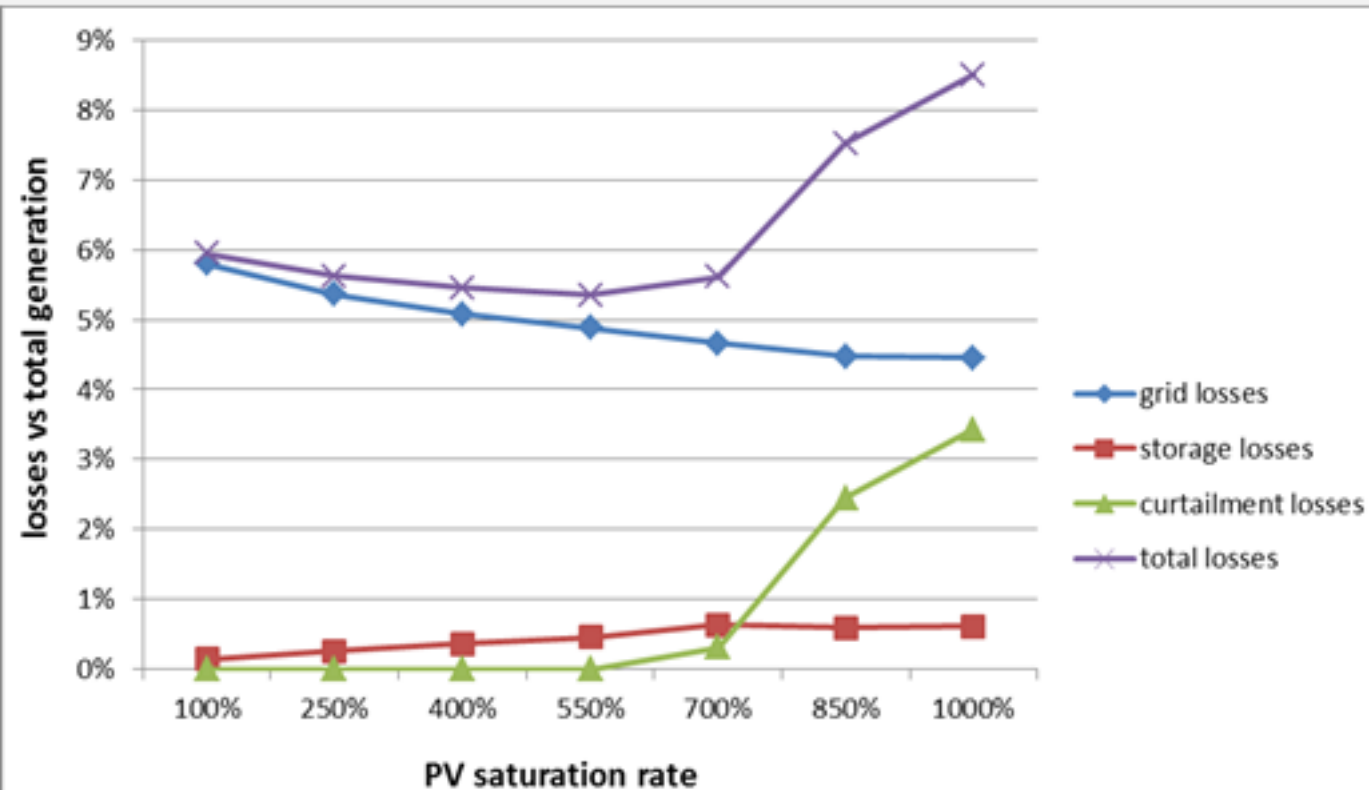
Transmission capacity of up-stream grid



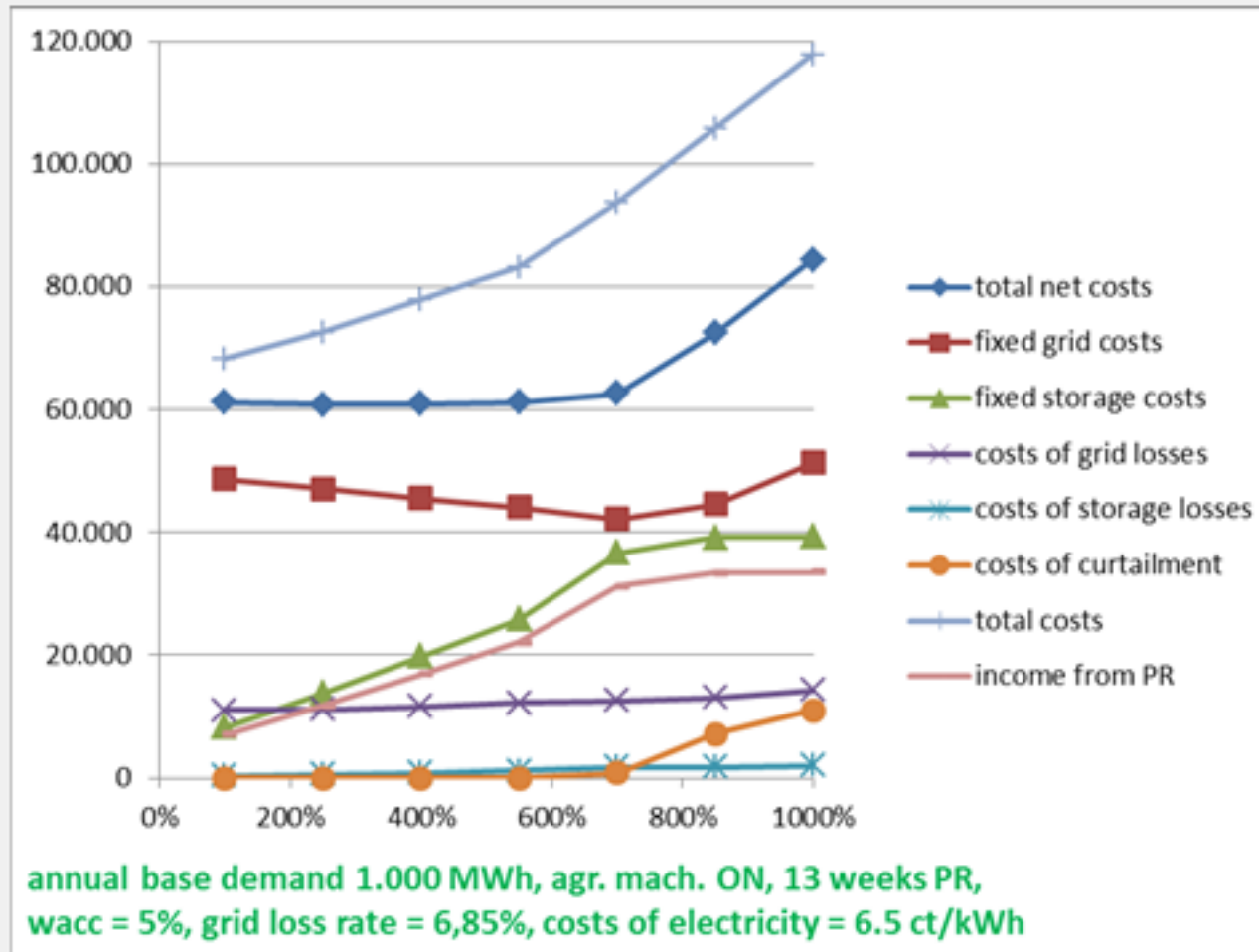
without agricultural machine

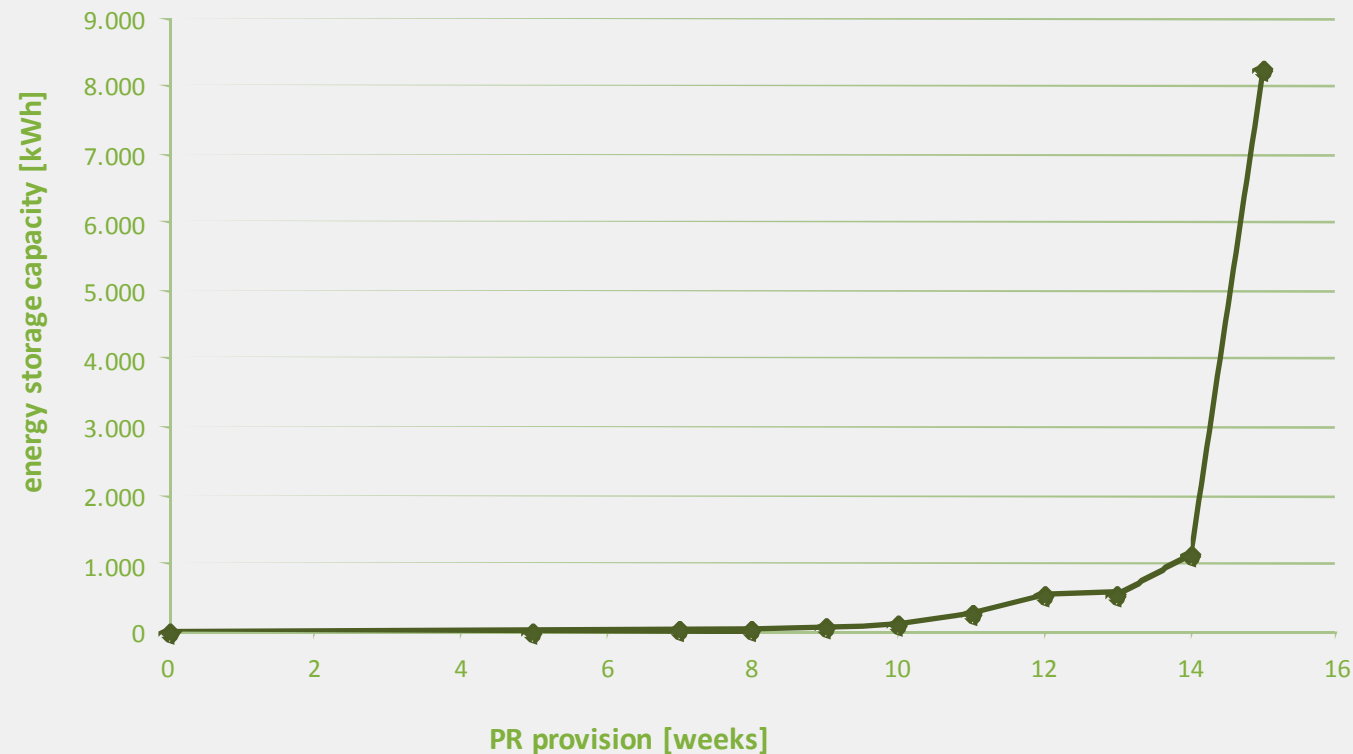


with agricultural machine



annual base demand 1.000 MWh, agr. mach. ON, 13 weeks PR,
wacc = 5%, grid loss rate = 6,85%, costs of electricity = 6.5 ct/kWh

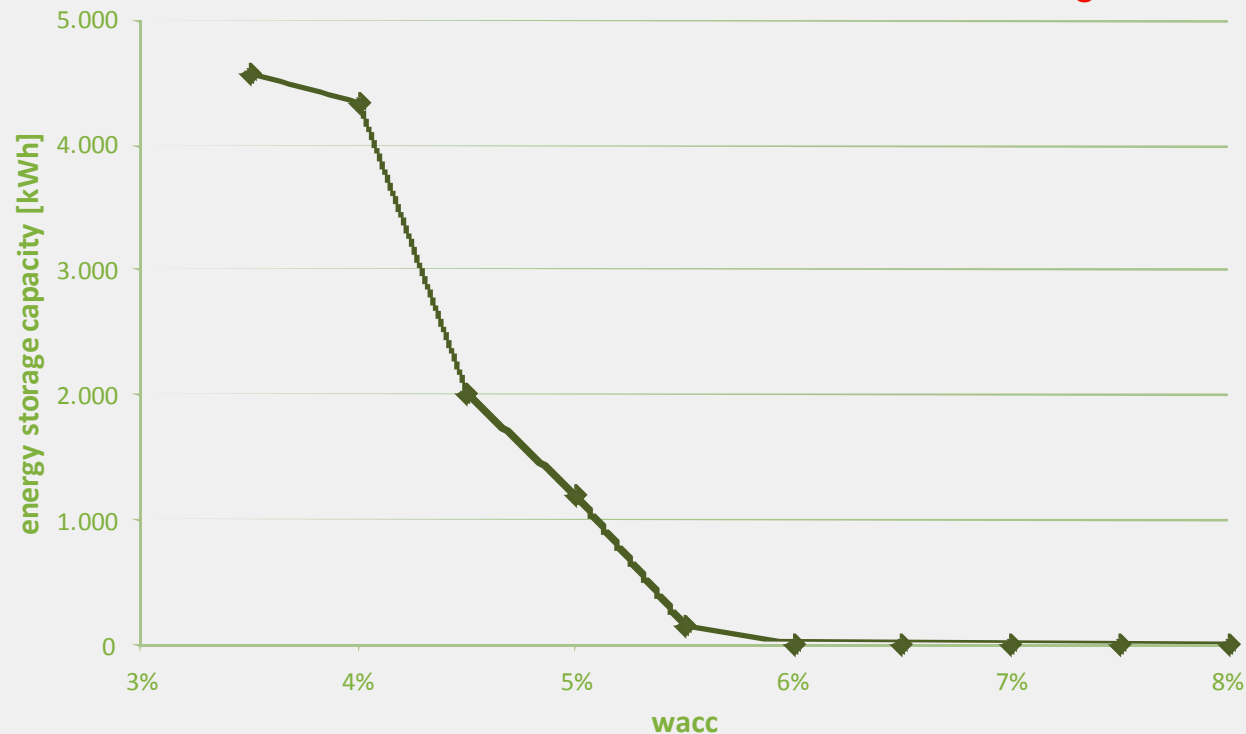




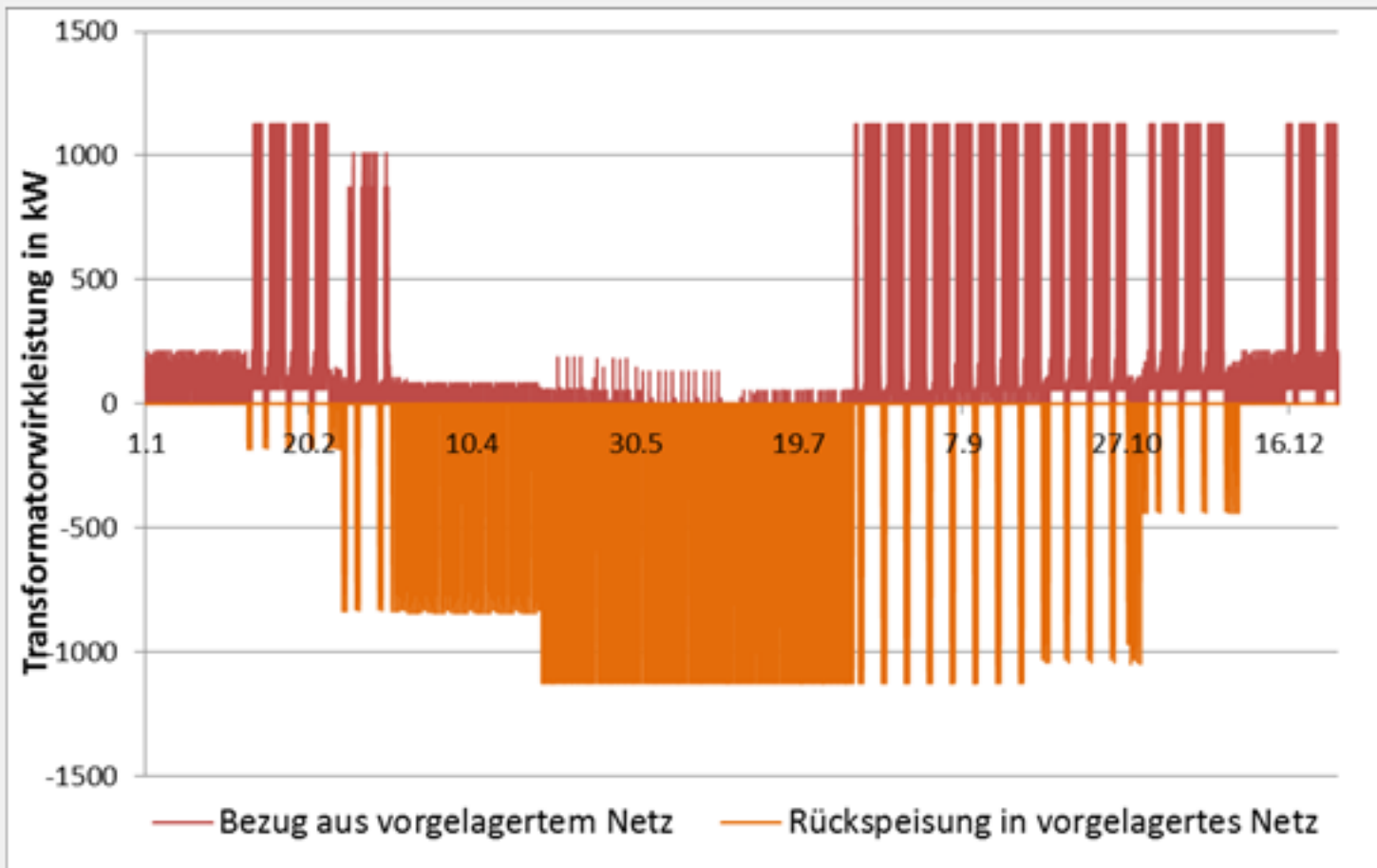
Above 15 weeks PR provision
GridCon_storage.py cannot find a solution, because investment costs cannot be negative.

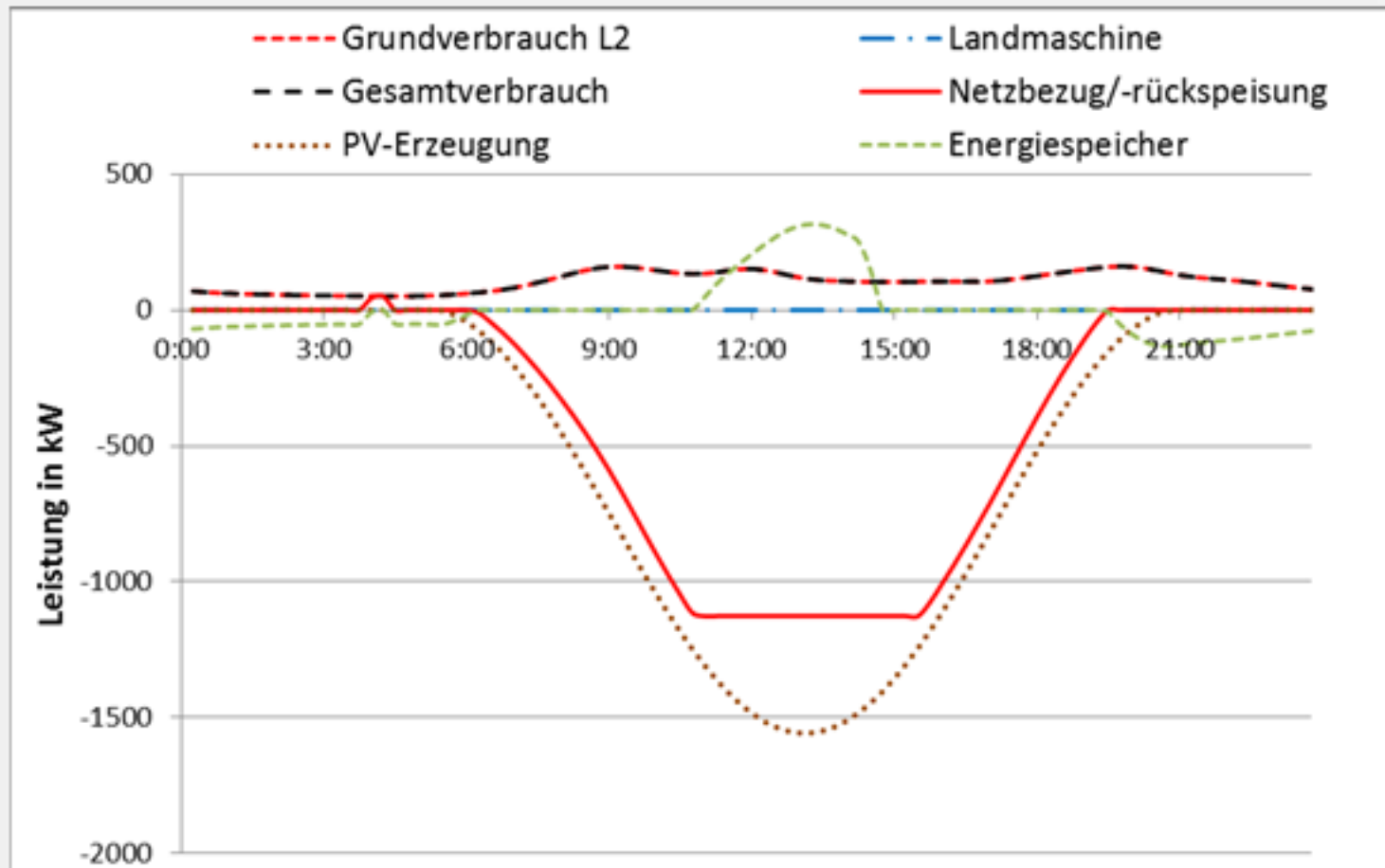
with agricultural machine, PR provision variable, wacc = 5%,
grid loss rate = 6,85%, costs of electricity = 6.5 ct/kWh

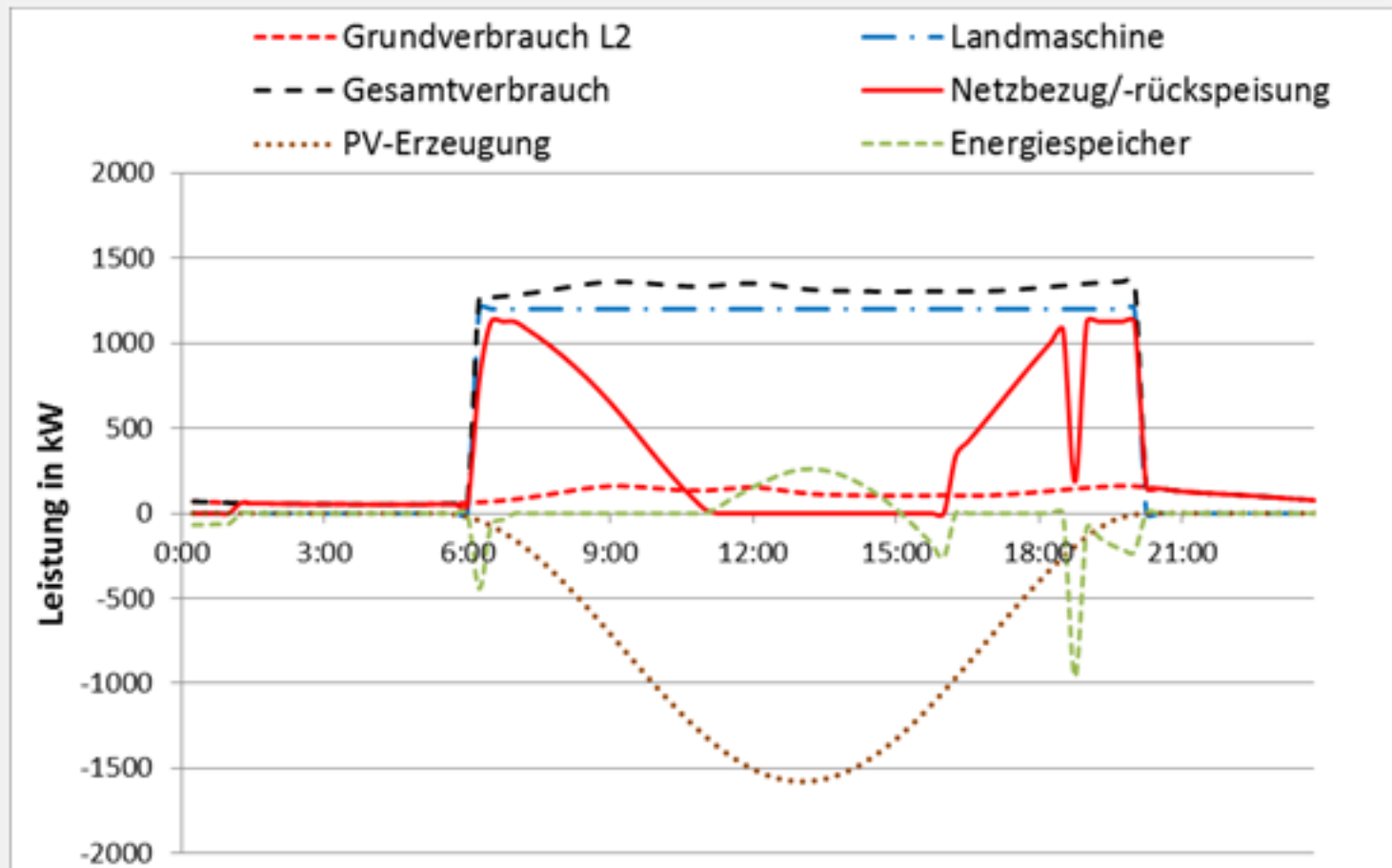
Below $wacc = 3.5\%$ GridCon_storage.py cannot find a solution, because investment costs cannot be negative.

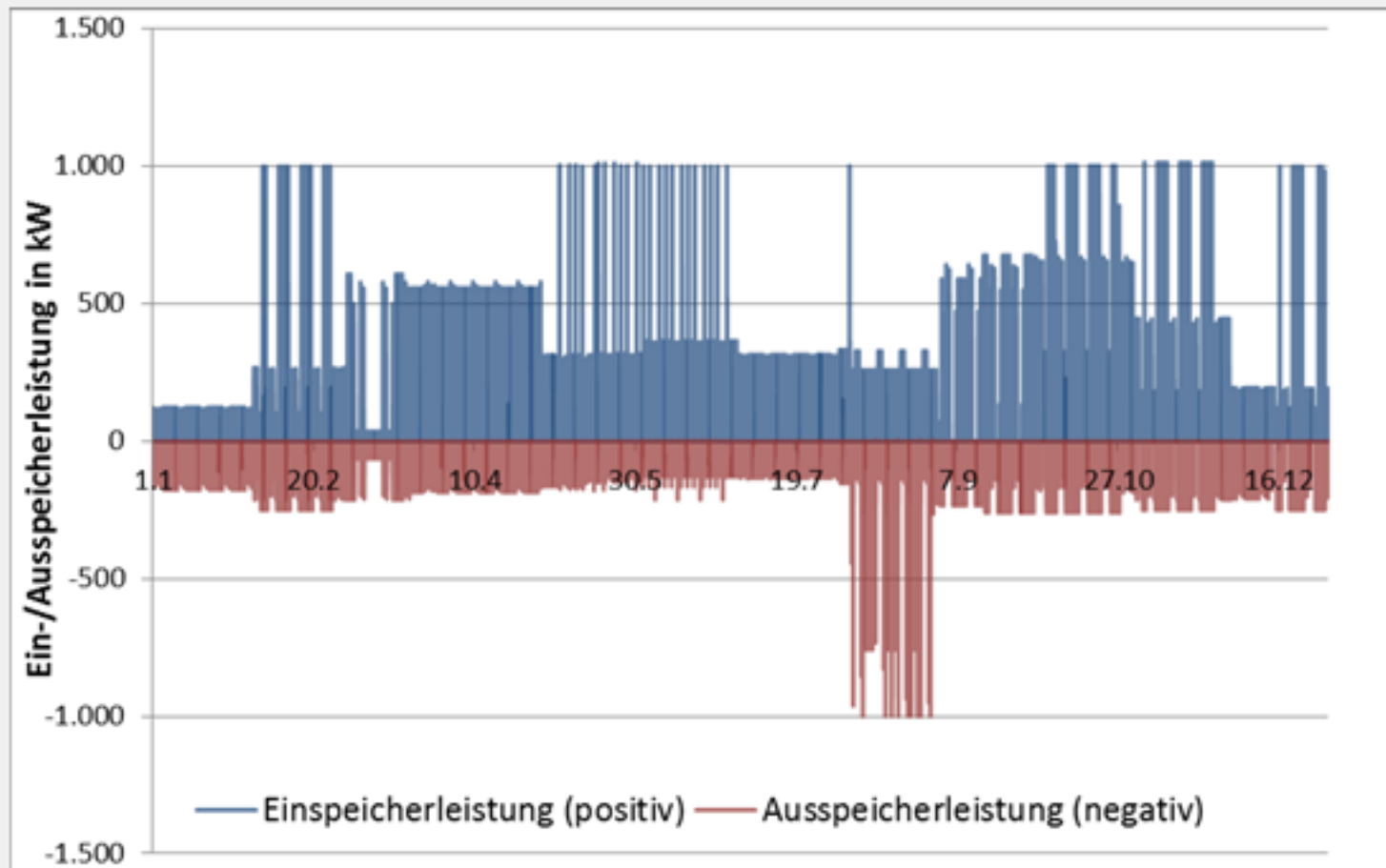


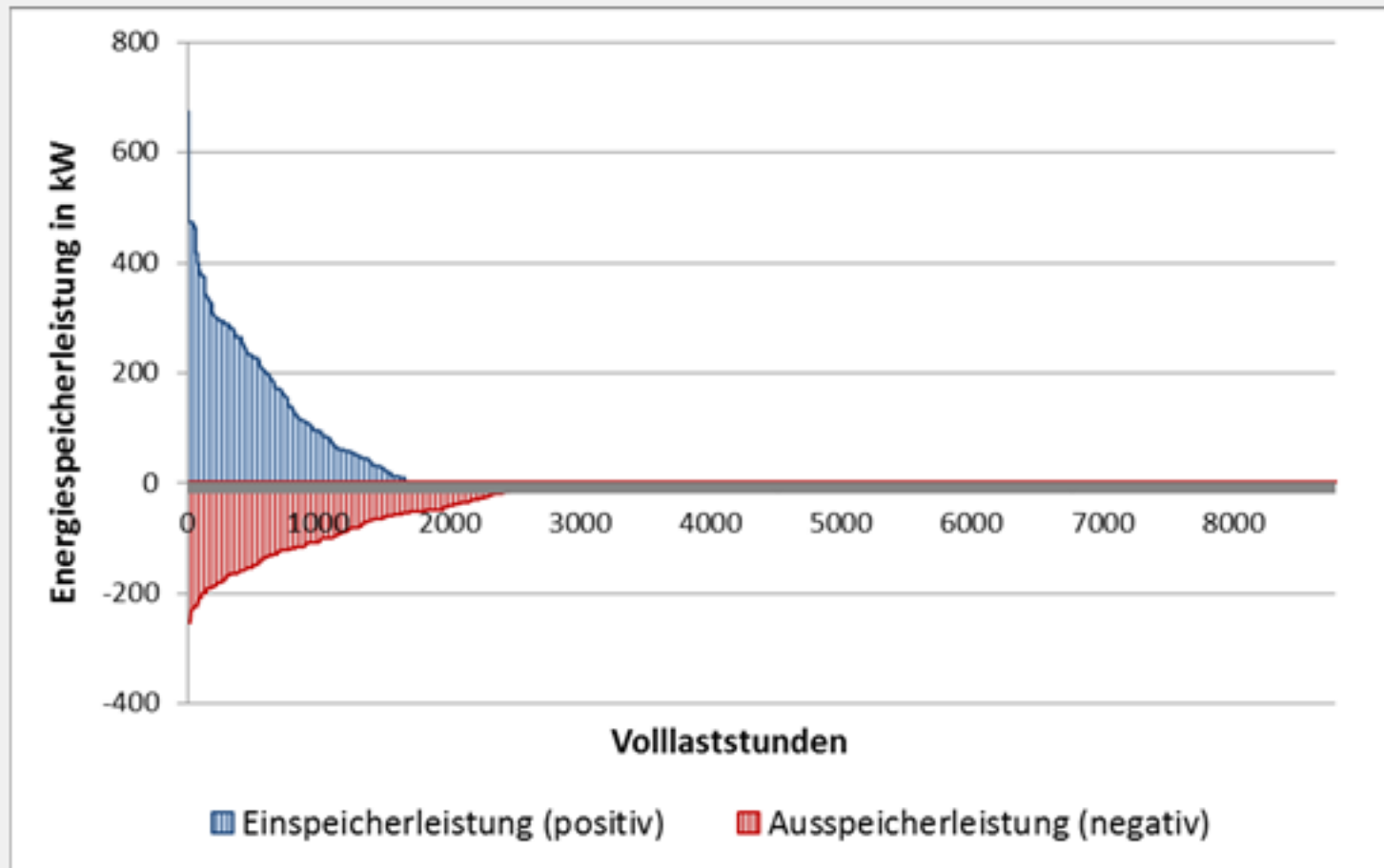
with agricultural machine, 13 weeks PR,
 $wacc = \text{variabel}$, grid loss rate = 6,85%, costs of electricity = 6.5 ct/kWh

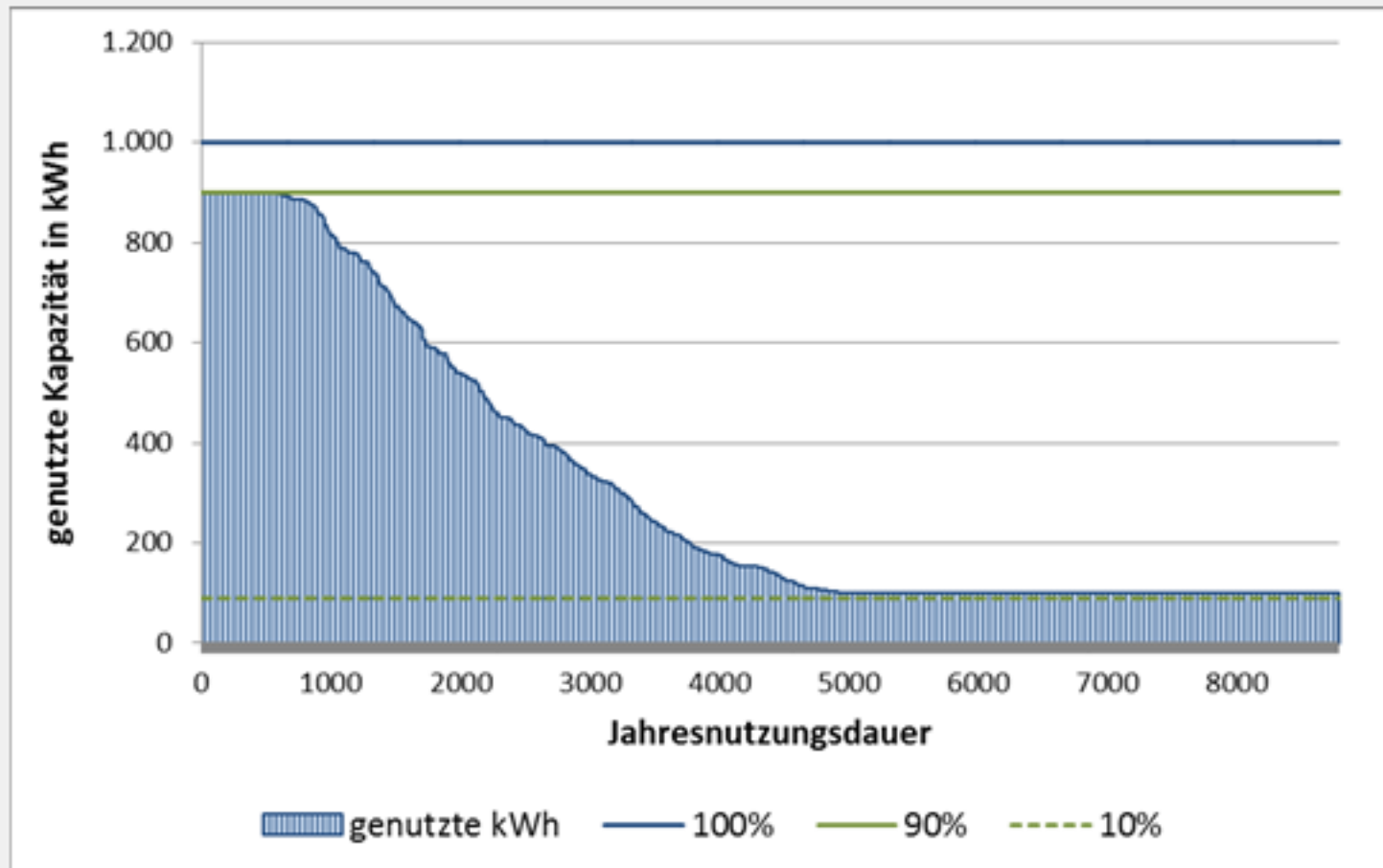


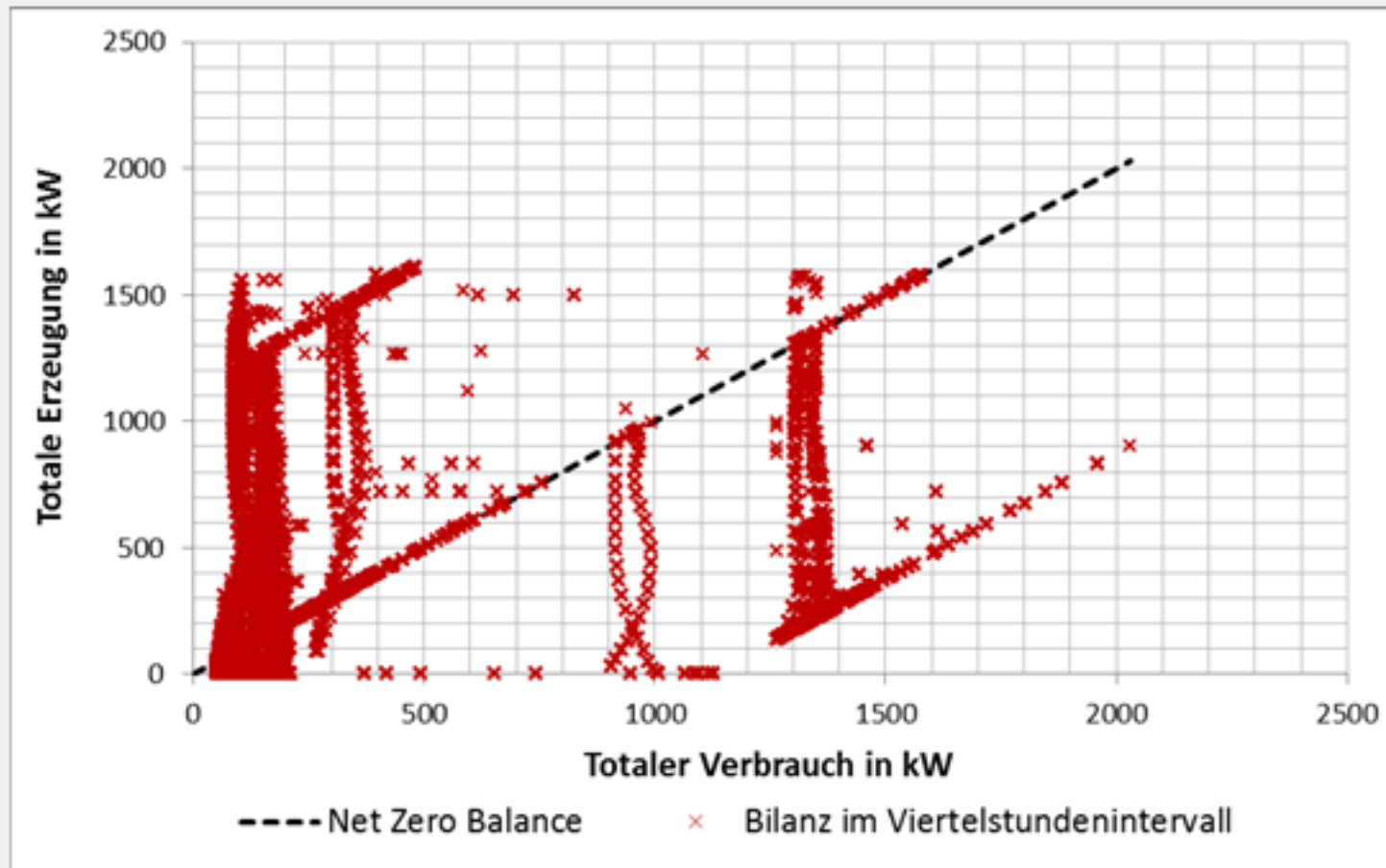


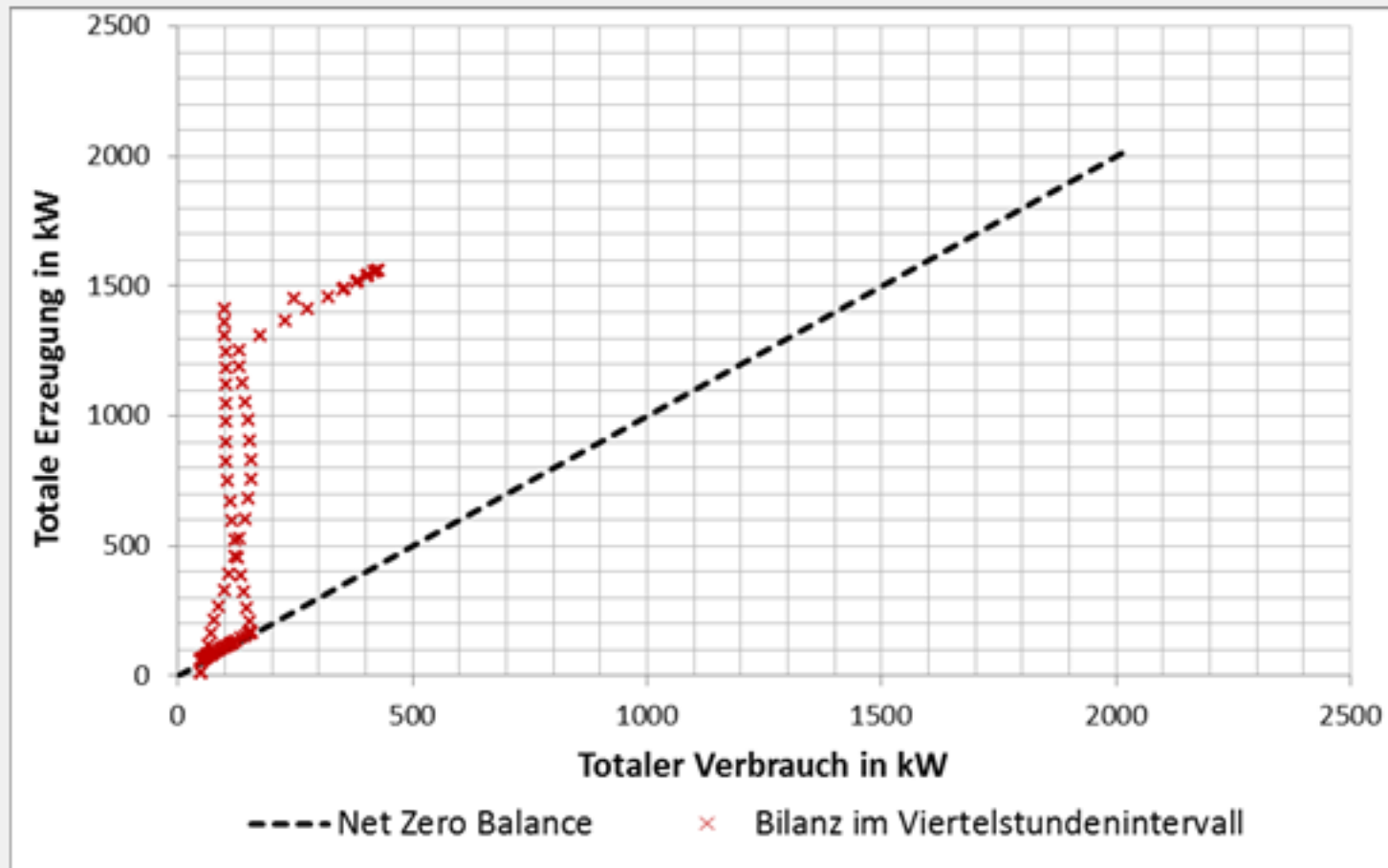


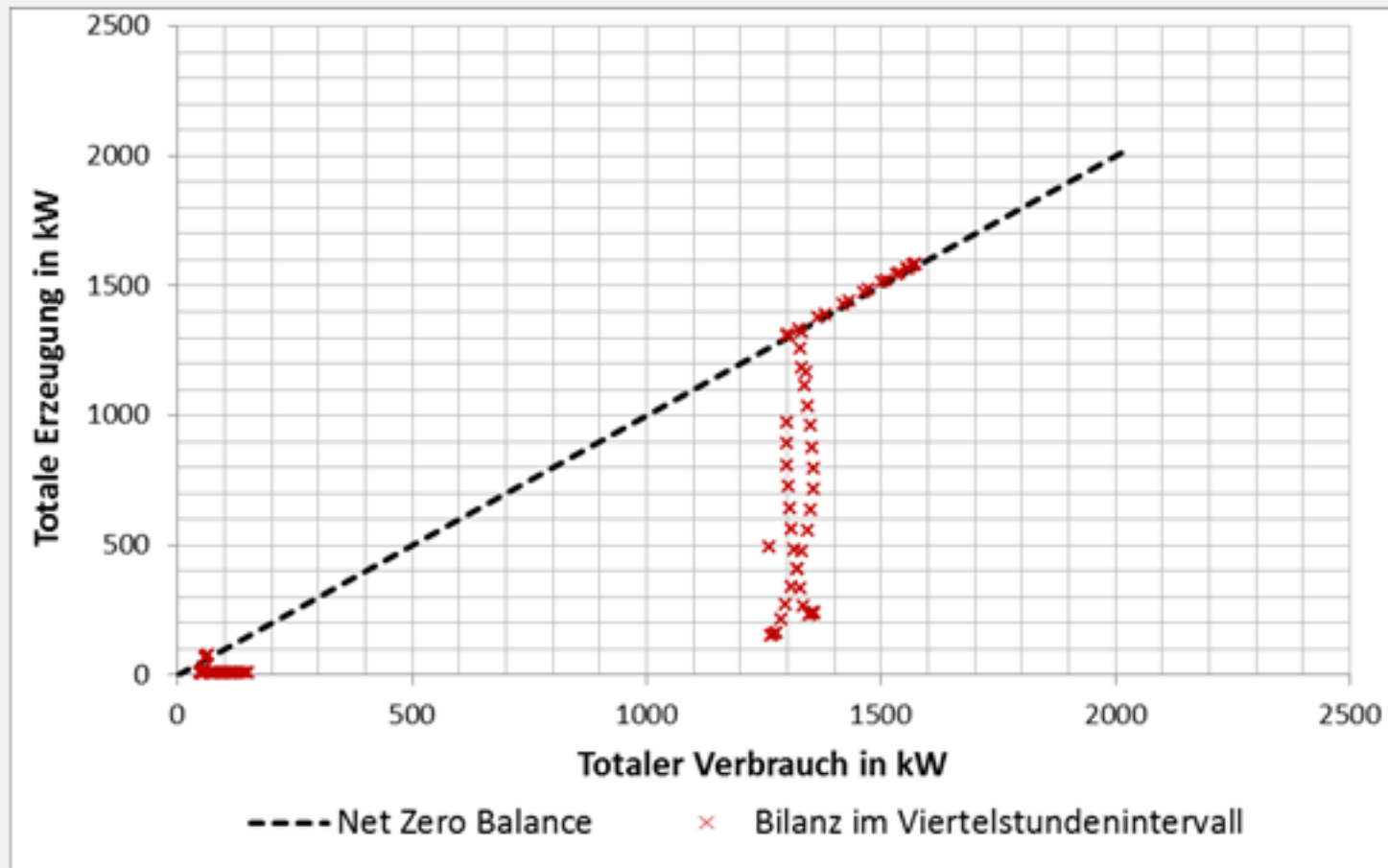




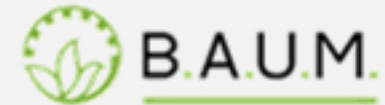








Summary of results



- 1) If the stationary energy storage is used for primary reserve (PR) provision for at least 10 weeks per year, its use is always cost-effective, with and without a cable-led agricultural machine.
- 2) Operating a cable-led agricultural machine in small and medium-size local grids usually requires a grid reinforcement.
- 3) The optimum size of the optimum stationary energy storage very sensibly depends on the income from secondary use such as PR, and on the weighted average cost of capital (wacc).

A closer look on economics_BAUM.py



Begründung der finanzmathematischen Formeln im oemof-Modul „economics“ beziehungsweise „economics_BAUM“

M. Stöhr, B.A.U.M. Consult GmbH

Hintergrund

Die hier besprochenen finanzmathematischen Formeln finden sich in der Open Source Software oemof im Modul „economics“ beziehungsweise „economics_BAUM“. Dieses wurde aus jenem im Projekt „GridCon“ im Rahmen des Forschungsprogramms „IKT für Elektromobilität“ abgeleitet. Es wurde verwendet, um zu berechnen, bei welchem Stand der Nutzung der photovoltaischen Stromerzeugung im gleichen Ortsnetz eher eine Netzanschlusserweiterung oder die Installation eines stationären Energiespeichers oder eine Kombination von beidem zur Versorgung einer leitungsgeführten, elektrifizierten Landmaschine hoher Leistung geeignet ist. Die Formeln entsprechen denen, die üblicherweise bei der Berechnung der Wirtschaftlichkeit von Investitionen verwendet werden. Sie wurden im Rahmen des Projekts „GridCon“ auf verschiedene Weise überprüft. Die folgenden Ausführungen geben die stringente mathematische Begründung wieder. Als Nebeneffekt wird dabei auch ein wenig beleuchtet, was der Begriff „wirtschaftlich“ eigentlich bedeutet und welche Freiräume bestehen ihn zu deuten.

Is hard, but worth to go through it 😊



$$(1) \frac{d F(t)}{dt} = -\frac{1}{\tau} \cdot F(t)$$

$$(2) F(t) = F_0 e^{-\frac{t}{\tau}}$$

$$(3) F_{i+1} = F_i \frac{1}{1+z}$$

$$(4) \frac{\tau}{1 \text{ year}} = \frac{1}{\ln(1+z)}$$

$$(5) F_{i+1} = F_i(1-w)$$

$$(6) W = \sum_{i=1}^m E(t_i) e^{\frac{t_i}{\tau}} - \sum_{k=1}^p A(t_k) e^{\frac{t_k}{\tau}}$$

Is hard, but worth to go through it ☺



$$(7) \quad W = -I_0 + \sum_{i=1}^n (e_i - a_i) \left(\frac{1}{1+z} \right)^i$$

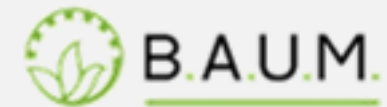
$$(8) \quad I_0 + \sum_{i=1}^n I_i \left(\frac{1}{1+z} \right)^i = A \sum_{i=1}^n \left(\frac{1}{1+z} \right)^i$$

$$(9) \quad \sum_{i=1}^n q^i = \frac{q(1-q^n)}{1-q}$$

$$(10) \quad A = I_0 \frac{1-q}{q(1-q^n)} = I_0 z \frac{(1+z)^n}{(1+z)^n - 1}$$

That is what is implemented in economics.py

Is hard, but worth to go through it ☺



$$(11) \quad I_0 + \sum_{j=1}^{m-1} I_0 (1 - cd)^{ju} q^{ju} = A \sum_{i=1}^n q^i$$

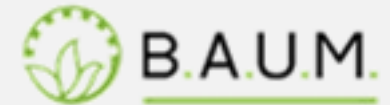
$$(12) \quad I_0 \left(1 + \{(1 - cd)q\}^u \frac{1 - \{(1 - cd)q\}^{(m-1)u}}{1 - \{(1 - cd)q\}^u} \right) = A \frac{q(1 - q^n)}{1 - q}$$

$$(13) \quad A = I_0 \frac{1 - q}{q(1 - q^n)} \cdot \frac{1 - \{(1 - cd)q\}^{mu}}{1 - \{(1 - cd)q\}^u}$$

$$(14) \quad A = I_0 z \frac{\{1 + z\}^n}{\{1 + z\}^n - 1} \cdot \frac{1 - \left(\frac{1 - cd}{1 + z}\right)^n}{1 - \left(\frac{1 - cd}{1 + z}\right)^u}$$

That is what is implemented in `economics_BAUM.py`

Financial support



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